## A Change-Detection based Framework for Piecewise-stationary Multi-Armed Bandit Problem Fang Liu, Joohyun Lee and Ness Shroff



- Multi-Armed Bandits = Slot Machines with Unknown Rewards
  - Example: Ad selection problem of a social media



If  $P_i$ s are **stationary**, bandit algorithms achieve  $O(\log(T))$  regret

## Change Detection based Approach for Non-stationary Bandit

- In real-life problems, reward distributions are non-stationary
- Non-stationary Multi-Armed Bandit Problem
  - Developed a Change Detection Algorithm based on CUSUM (CUmulative SUM)
  - Developed CUSUM-UCB (Upper Confidence Bound) with the best known regret bound
  - Evaluated over Big Data (Yahoo click-through rates)

 $\gamma_T$  = number of changes up to time T

	Change
	detection
	algorithm
ce //	"alarms" to restart
d (	Bandit algorithm
reward \	arm
$X_t(I_t)$	Non-stationary $I_t$
	bandit
T	environment

	Passively adaptive			Activel <u>y</u> adaptive		
Policy	D-UCB	SW-UCB	Rexp3	Adapt-EvE	CUSUM-UCB	lower bound
	(Kocsis and Szepesvári 2006)	(Garivier and Moulines 2008)	(Besbes, Gur, and Zeevi 2014)	(Hartland et al. 2007)	A	(Garivier and Moulines 2008)
Regret	$O(\sqrt{T\gamma_T}\log T)$	$O(\sqrt{T\gamma_T \log T})$	$O(V_T^{1/3}T^{2/3})$	Unknown	$O(\sqrt{T\gamma_T \log \frac{T}{\gamma_T}})$	$\Omega(\sqrt{T})$

- Generally applicable to many sequential learning problems
  - E.g., Choose a song/channel depending on the moods/situations (Users will give feedbacks)
  - E.g., Choose an angle (control) of drones for a specific mission